

mWAR: a Bayesian Estimator of Manager Value

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1. mWAR Estimator learning curve

The mWAR Estimator measures managers' latent skill, a quality that they are presumed to possess from the beginning of their careers. It forms that estimate via a Bayesian process: a prior estimate—uniformly zero for all managers—is combined with data generated on a season-by-season basis over every manager's career. Indeed, even after a manager retires, his *mw162* could in theory be updated insofar as both β_{wpg} , the team WAR parameter, and τ , the individual manager heterogeneity parameter (3), are re-estimated whenever a new season of data is entered. In truth, though, after 125 seasons of updating, those contributions to any manager's score are by now effectively fixed in stone .

Although the Estimator will never stop updating, manager *mw162*s can be expected to settle down to a fairly stable value once some critical quantum of data accumulates. The Estimator in this sense can be said to exhibit a “learning curve” that consists in the amount of data, accumulated over successive seasons, that it requires to form a stable estimate of any manager's latent skill. It is important for any user of the Estimator to understand the speed of this learning curve, particularly if he or she is evaluating managers who are relatively early on in their careers. And it is important for any reflective person who is trying to learn about or from the Estimator to understand how the learning curve was determined.

a. Speed. Although there is variability and outliers, the Estimator generally can be expected to settle down to a stable estimate—one that is unlikely to move substantially in either direction thereafter—in about 900 games or just under 6 modern seasons (Figure SI 1). It takes substantially less data, however, for it to determine whether a managers' MAP *mw162* exceeds a threshold of practical consequence, such as ± 2.0 : the median number of games it took the Estimator to recognize that a manger had a $|mw162|$ of ≥ 2 was 522 games, or 3.25 seasons. Of course, the confidence reflected in such an estimate can still be expected to evolve over the longer period it takes the Estimator to form a mature (i.e., stable) skill level estimate. For example, to determine that a manager possessed a posterior mass 70% of which included an $|mw162|$ of ≥ 2 , the median number of games was again about 900 games. The number of games for determining such a manager's attainment of intermediate benchmark *mw162* scores are reported in Figure SI 2.

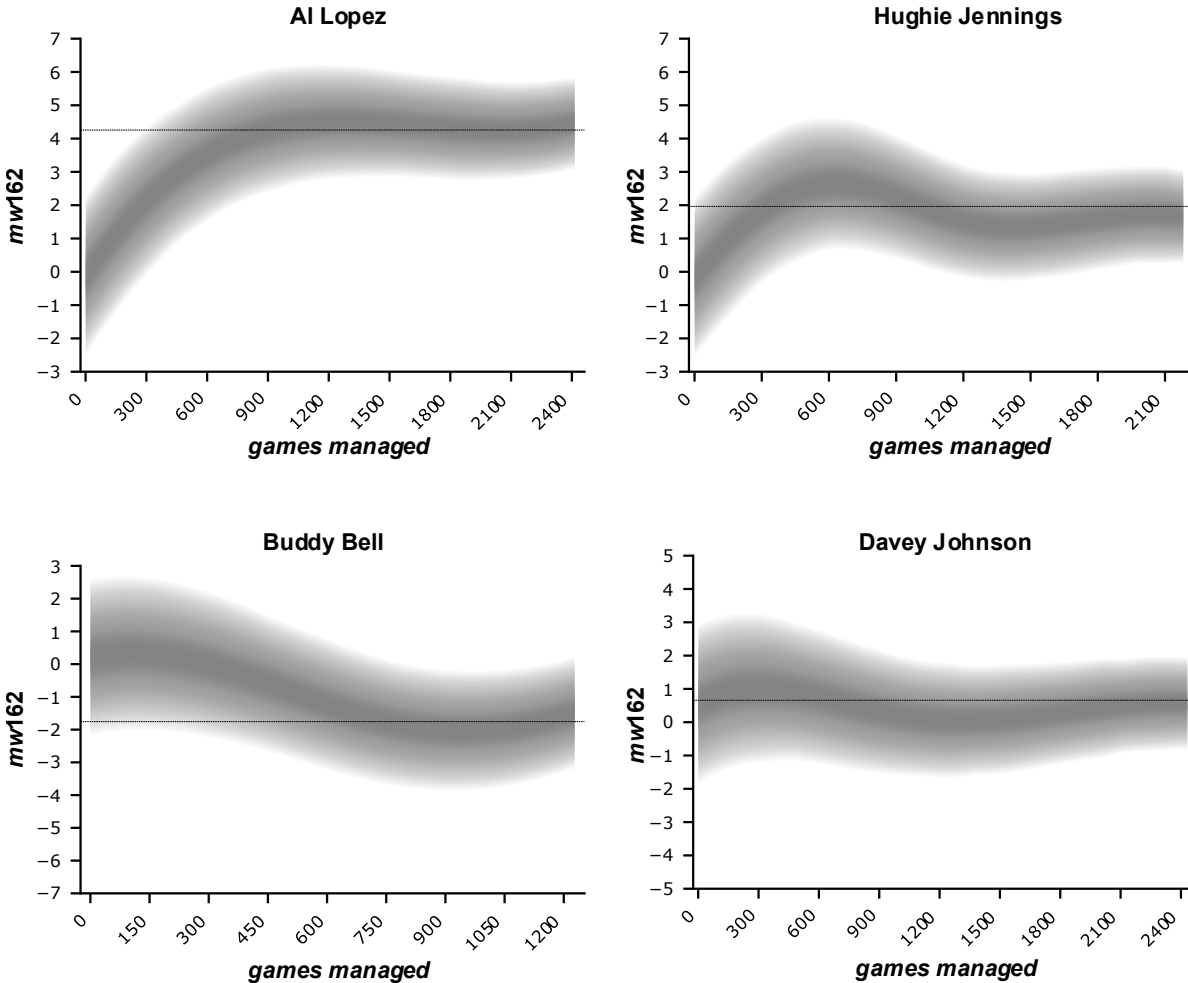


Figure SI 1. Select $mw162$ measurement histories. Gray bands reflect 0.67 HDI estimation of indicated manager’s $mw162$ at number of games managed.

b. Measuring its speed. As the paper makes clear, the Estimator was formed by fitting the mWAR Model to manager performance data over a 125-season period—from 1901 to 2025—and then using empirical Bayesian methods to extract the information necessary to form $mw162$ posteriors. Accordingly, the Estimator learned everything there was to know in a matter of minutes.

The “learning curve” is thus a constructive one designed to gauge the pace at which the Estimator *would* have formed its estimates had it been run in “real time”—as data accumulated season-by-season. The purpose was to form a reasonable understanding of how quickly the Estimator’s measurement of individual manager latent skill levels can be expected to take shape going forward as it is applied to still active and new managers.

The method for achieving this aim had elements of a historical “what if” simulation. In it, the hierarchical Bayes mWAR Model (2) was fit 125 times—once after each season *to all the manager data that had accumulated through that season*. After each successive model was fit, the posteriors of the managers who had served at any time *up to that that point* were estimated *based on all the information the Estimator used to form posterior estimates of all managers in 2025*.

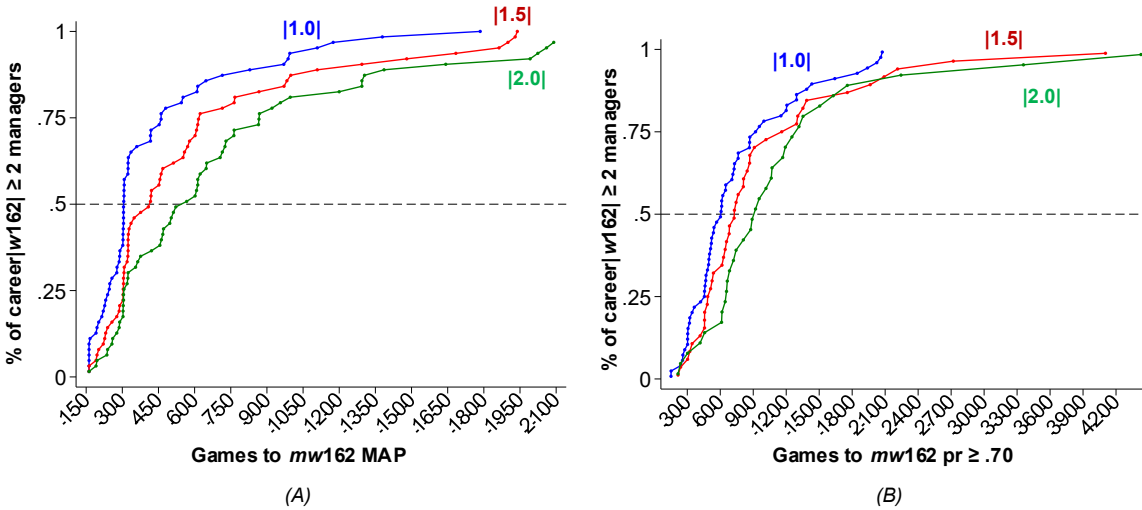


Figure SI 2. mWAR. Estimator learning curve for career $|mw162| \geq 2$ managers. Panels (A) and (B) plot the number of games required for managers with career $|mw162s| \geq 2$ to reach MAP $mw162 = |1.0|/|1.5|/|2.0|$ and $mw162$ with 0.70 posterior masses at those values respectively. For details on how the Estimator’s updating speed was determined, see the Supplemental Information (SI).

The latter information reflects nothing in particular about individual managers (if it had, the whole exercise would have been circular). Rather it consists in everything there is to know now—which is a lot—about how managers in general affect team records and about how θ varies in general across the manager population. That information is encapsulated, first, in the parameter estimate for $zWPG$, the team WAR predictor, and in τ^2 , the population variance term that defines the spread or scale of the manager-impact prior. Accordingly, the simulation generated a recreation of the *historical* trajectory of managers’ $mw162$ scores using *timeless* (really, contemporary) estimates of those two quantities.

Put differently, the goal of the “what if” simulation was not to discover how quickly the mWAR Estimator would have learned about the *weight* to afford season-level data. It was to determine, given what the Estimator *now* knows about *that*, how quickly the Estimator would have formed stable estimates of past managers’ innate skill via the Bayesian updating. The answer to that question is the best estimate of how rapidly the Estimator can be expected to form stable estimates of managers’ $mw162s$ today.

2. Additional $mw162$ scores

The paper identifies the managers with the 39 highest and 39 lowest $mw162s$ over the history of the American and National Leagues (Table 2). SI Table 1 and SI Table 2 present the $mw162$ scores of Hall of Fame managers and of managers active since 2000, respectively. A complete list of all evaluated managers can be downloaded from the [supporting materials page](#).

rank	Manager	G	W%	<i>mw162</i>	data 162
1	John McGraw	4439	.590	6.4	7.8
4	Joe McCarthy	3426	.615	4.5	5.8
5	Al Lopez	2414	.584	4.4	6.1
13	Wilbert Robinson	2827	.499	2.7	3.2
17	Tony LaRussa	5356	.535	2.4	2.4
22	Casey Stengel	3732	.509	2.3	2.3
22	Bobby Cox	4490	.555	2.3	2.4
31	Miller Huggins	2550	.554	2.1	2.6
39	Bill McKechnie	3619	.524	1.9	2.2
46	Jim Leyland	3489	.507	1.8	1.7
52	Whitey Herzog	2406	.532	1.7	2.2
76	Billy Southworth	1748	.597	1.2	1.7
93	Dick Williams	3010	.519	1.0	1.0
118	Sparky Anderson	4001	.544	0.8	0.8
118	Leo Durocher	3645	.539	0.8	0.8
151	Walter Alston	3632	.559	0.5	0.3
194	Joe Torre	4276	.538	0.2	-0.1
194	Earl Weaver	2518	.582	0.2	0.2
194	Tom Lasorda	3034	.527	0.2	-0.1
280	Bucky Harris	4379	.493	-0.3	1.8
377	Connie Mack	7386	.485	-0.8	-1.4

SI Table 1. Hall of Fame managers (post 1900). “Rank” refers to *mw162* rank for all rated managers; “g” career games; “W%” career winning percentage; “HDI” the densest portion of the manager’s posterior mass that includes 95% of the manager’s *mw162* distribution; and “data” the manager’s mWAR Model *mw162* score prior to Bayesian shrinkage.

	manager	G	W%	mw162	data
1	Felipe Alou	2050	.503	4.0	6.1
2	Fredi González	1411	.507	3.0	4.8
2	Dave Roberts	1516	.619	3.0	5.1
4	Craig Counsell	1653	.532	2.8	4.5
5	Cecil Cooper	344	.506	2.7	11.7
5	Stephen Vogt	323	.557	2.7	12.4
7	Dusty Baker	4016	.539	2.4	2.7
7	Tony LaRussa	5356	.535	2.4	2.4
7	Bruce Bochy	4512	.498	2.4	2.8
7	Jim Tracy	1738	.493	2.4	3.6
11	Bobby Cox	4490	.555	2.3	2.4
11	Buddy Black	2583	.460	2.3	2.7
13	Kirk Gibson	730	.485	2.2	4.9
13	Mike Shildt	775	.561	2.2	5.1
15	Jim Fregosi	2121	.485	2.0	2.1
16	Clint Hurdle	2595	.486	1.9	2.5
16	Brian Snitker	1478	.548	1.9	3.0
18	Ron Roenicke	740	.504	1.8	4.5
18	Jim Leyland	3489	.507	1.8	1.7
18	Pete Mackanin	525	.436	1.8	5.2
18	Art Howe	2263	.498	1.8	2.3
18	Gabe Kapler	867	.526	1.8	4.1
23	Bobby Valentine	2347	.504	1.7	2.4
24	Don Baylor	1321	.477	1.6	2.6
24	Jack McKeon	2037	.514	1.6	2.1
24	Aaron Boone	1191	.584	1.6	2.8
24	Andy Green	650	.431	1.6	4.1
28	John Boles	432	.461	1.5	6.1
28	Dave Miley	289	.433	1.5	7.8
28	Terry Collins	2002	.494	1.5	1.6
31	Mike Quade	199	.477	1.3	8.5
32	Cookie Rojas	158	.487	1.2	6.6

	manager	G	W%	mw162	data
32	John Russell	488	.381	1.2	3.5
32	Jim Riggleman	1630	.445	1.2	1.9
32	Scott Servais	1313	.514	1.2	1.7
36	Bill Russell	330	.539	1.1	4.0
36	Jeff Banister	637	.512	1.1	2.4
38	Bob Brenly	562	.537	1.0	2.0
38	Rene Lachemann	995	.435	1.0	1.5
38	Dan Wilson	196	.566	1.0	4.1
38	Oliver Marmol	646	.502	1.0	2.6
38	Frank Robinson	2219	.476	1.0	1.3
38	Tim Lincecum	24	.583	1.0	29.0
44	Charlie Manuel	1790	.547	0.9	1.3
44	Ken Macha	972	.540	0.9	1.6
44	Bob Boone	791	.459	0.9	1.5
44	Lloyd McClendon	1109	.451	0.9	0.7
44	Brad Mills	462	.387	0.9	0.8
49	Skip Schumaker	324	.448	0.8	1.1
49	Davey Johnson	2432	.562	0.8	0.9
51	Pat Murphy	420	.552	0.7	2.6
51	A. J. Hinch	1831	.526	0.7	0.9
51	Paul Molitor	647	.471	0.7	1.5
51	Ryne Sandberg	278	.428	0.7	3.0
55	Tom Trebelhorn	930	.505	0.6	1.4
55	Pat Corrales	1212	.475	0.6	0.6
55	Ray Knight	260	.477	0.6	2.0
55	Larry Dierker	781	.556	0.6	1.6
59	Tony Pérez	158	.468	0.5	3.3
59	Larry Bowa	847	.491	0.5	0.5
61	Carlos Mendoza	324	.531	0.4	-0.4
61	Miguel Cairo	107	.449	0.4	7.1
61	Davey Lopes	336	.429	0.4	0.8
61	Mike Matheny	1449	.522	0.4	0.2

	manager	G	w%	mw162	data		manager	G	w%	mw162	data
65	Derek Shelton	747	.410	0.3	-0.2	99	Rich Renteria	700	.436	-0.3	-2.0
65	Tom Lawless	24	.458	0.3	6.5	99	Phil Garner	2018	.483	-0.3	-1.2
67	Manny Acta	894	.417	0.2	-0.5	99	Matt Williams	324	.552	-0.3	-2.4
67	Demarlo Hale	82	.488	0.2	-0.6	99	Jerry Narron	633	.463	-0.3	-1.7
67	John Schneider	562	.541	0.2	0.6	105	Carlos Tosca	384	.490	-0.4	-3.1
67	Edwin Rodríguez	162	.475	0.2	1.7	105	Phil Nevin	257	.451	-0.4	-2.7
67	Joe Torre	4276	.538	0.2	-0.1	105	Torey Lovullo	1401	.492	-0.4	-1.3
67	Sandy Alomar	52	.577	0.2	10.1	105	Bo Porter	300	.367	-0.4	-2.2
67	Tony DeFrancesco	41	.390	0.2	7.9	105	Rocco Baldelli	1021	.509	-0.4	-0.8
74	Grady Sizemore	45	.289	0.1	-4.2	105	Trey Hillman	357	.429	-0.4	-2.0
74	David Bell	862	.470	0.1	-0.5	111	Bruce Kimm	78	.423	-0.5	-5.2
74	Robby Thompson	29	.483	0.1	6.1	111	Grady Little	675	.554	-0.5	-1.4
74	Tom Runnells	152	.454	0.1	-0.8	111	Kevin Cash	1678	.533	-0.5	-1.4
74	Chris Speier	19	.737	0.1	32.2	111	Al Pedrique	84	.274	-0.5	-10.3
74	Bob Melvin	3253	.513	0.1	-0.5	111	Alex Cora	1128	.540	-0.5	-1.5
74	Jamie Quirk	21	.333	0.1	-15.8	116	Mike Scioscia	3064	.534	-0.6	-1.2
74	Joe Nossek	14	.429	0.1	-23.8	116	Chip Hale	328	.454	-0.6	-3.7
82	Bob Schaefer	22	.364	0.0	1.9	116	Robin Ventura	804	.466	-0.6	-2.2
82	Joey Cora	16	.500	0.0	1.3	116	Tony Beasley	48	.354	-0.6	-17.6
82	Jerry Royster	150	.353	0.0	-5.1	116	Jayce Tingler	228	.522	-0.6	-2.9
82	Dan Jennings	124	.444	0.0	0.7	116	Mike Redmond	371	.426	-0.6	-2.9
82	David Ross	536	.478	0.0	-0.8	122	Rob Thomson	602	.578	-0.7	-1.9
87	Scott Ullger	18	.500	-0.1	-6.2	122	Toby Harrah	80	.412	-0.7	-12.4
87	Willie Randolph	556	.545	-0.1	-0.1	122	Don Wakamatsu	301	.452	-0.7	-3.5
87	Bryan Price	665	.420	-0.1	-0.7	125	Luis Pujols	155	.355	-0.8	-5.4
87	Daren Brown	50	.380	-0.1	-7.6	125	Terry Francona	3648	.538	-0.8	-1.5
87	Joel Skinner	77	.468	-0.1	1.0	125	Joe Maddon	2606	.533	-0.8	-1.3
92	John McLaren	174	.460	-0.2	-1.8	125	Ron Washington	1598	.500	-0.8	-1.6
92	Mickey Callaway	324	.503	-0.2	-1.5	125	Walt Weiss	646	.438	-0.8	-2.6
92	Buck Showalter	3379	.510	-0.2	-0.5	125	Brad Ausmus	805	.477	-0.8	-2.9
92	Bill Virdon	1942	.519	-0.2	-0.9	125	Dale Sveum	336	.399	-0.8	-4.0
92	Ozzie Guillén	1435	.514	-0.2	-0.2	132	Joe Espada	330	.542	-0.9	-2.3
92	Bucky Dent	95	.411	-0.2	-1.8	132	Don Mattingly	1826	.484	-0.9	-1.9
92	Jeff Torborg	1351	.469	-0.2	-1.0	132	Tony Peña	483	.410	-0.9	-3.9
99	Jerry Manuel	1376	.507	-0.3	-1.1	132	Ned Yost	2542	.473	-0.9	-1.6

	manager	G	w%	mw162	data		manager	G	w%	mw162	data
132	Luis Rojas	220	.464	-0.9	-5.8	158	Mike Hargrove	2343	.504	-2.0	-3.2
132	Sam Perlozzo	300	.420	-0.9	-5.7	158	Bob Geren	714	.475	-2.0	-5.3
138	Ron Gardenhire	2464	.484	-1.0	-1.7	160	Lou Piniella	3524	.517	-2.1	-3.1
138	Juan Samuel	51	.333	-1.0	-18.3	150	John Farrell	1073	.515	-1.5	-3.4
138	Matt Quatraro	485	.464	-1.0	-4.3	152	Tony Muser	763	.421	-1.6	-5.9
138	Joe Kerrigan	43	.395	-1.0	-21.4	152	Hal McRae	872	.458	-1.6	-4.2
138	Lee Mazzilli	269	.483	-1.0	-5.5	154	Charlie Montoyo	471	.501	-1.8	-5.7
138	Pedro Grifol	278	.317	-1.0	-6.3	154	Dave Trembley	465	.396	-1.8	-7.2
144	Buck Martinez	212	.467	-1.1	-8.0	154	Buddy Bell	1228	.418	-1.8	-3.9
145	Will Venable	168	.363	-1.2	-10.8	157	Larry Rothschild	494	.407	-1.9	-7.0
150	John Farrell	1073	.515	-1.5	-3.4	158	Mike Hargrove	2343	.504	-2.0	-3.2
152	Tony Muser	763	.421	-1.6	-5.9	158	Bob Geren	714	.475	-2.0	-5.3
152	Hal McRae	872	.458	-1.6	-4.2	160	Lou Piniella	3524	.517	-2.1	-3.1
154	Charlie Montoyo	471	.501	-1.8	-5.7	161	Johnny Oates	1539	.517	-2.2	-4.1
154	Dave Trembley	465	.396	-1.8	-7.2	162	Tom Kelly	2375	.478	-2.3	-3.8
154	Buddy Bell	1228	.418	-1.8	-3.9	163	Alan Trammell	498	.382	-2.4	-9.9
157	Larry Rothschild	494	.407	-1.9	-7.0	163	Jimy Williams	1697	.535	-2.4	-4.4
158	Mike Hargrove	2343	.504	-2.0	-3.2	165	John Gibbons	1580	.501	-3.3	-6.0
158	Bob Geren	714	.475	-2.0	-5.3	166	Eric Wedge	1587	.476	-3.5	-6.5
160	Lou Piniella	3524	.517	-2.1	-3.1	167	Cito Gaston	1726	.516	-3.8	-6.5
157	Larry Rothschild	494	.407	-1.9	-7.0						

SI Table 2. Manager *mw162s* since 2000. List includes every manager who has managed since 2000. Ranks are post-2000 only; games managed and *mw162s* are regardless of when career started. “Data” refers to MLE mWAR (1) score.

3. mWAR Estimator $_p$

The paper proposes a provisional variant of the mWAR Estimator, the mWAR Estimator $_p$, for single-season use. Calculation of the Estimator $_p$ scores is straightforward. As indicated in the paper, the scores are formed by awarding 24% of the residuals of a model that predicts team wins on the basis of team WAR (5). The required data are the wins, the games played, and the standardized season WAR per game for all teams in the relevant season. After the model is fit, the residuals for each team (which will consist in win counts over the number of games played in a season) should be predicted or otherwise calculated and then multiplied by 0.24. These are the manager $mw162ps$ realized by each team. Where a team was managed by one person the entire season, that individual is awarded that score. Where a team used more than one manager in a season, each can be awarded the fraction of the $mw162p$ total corresponding to the fraction of total games that he (or once this gender barrier gives way, she) managed. Alternatively, one could split the team into two separate observations if one has access to the WAR per game data corresponding to the portions of the season overseen by each manager.

The data necessary to generate the season $w162ps$ for every season since 1901 (including a file that identifies the manager and number of games managed per team per season) are available for download in the [supporting materials page](#). A file reporting Estimator $_p$ scores—referred to as $w162ps$ —from 1901 to 2025 also can be found there.

4. Asymmetric loss function

The paper illustrates how the mWAR Estimator can be conformed to a user-specific loss function. The default loss function maximizes accuracy by minimizing mean squared error (MSE). It can be represented as

$$\begin{aligned} L(\theta, \hat{\theta}) \\ = (\theta - \hat{\theta})^2. \end{aligned} \tag{SI.1}$$

Simply put, the penalty for any discrepancy between the true value of θ (understood as managerial skill level) at any particular point in the distribution at which it is being estimated and the reported value, $\hat{\theta}$ is the magnitude of the difference squared.

That default loss function can be adjusted at will:

$$\begin{aligned} L(\theta, \hat{\theta}) \\ = f[(\theta - \hat{\theta})^2]. \end{aligned} \tag{SI.2}$$

Here f stands for any set of operations performed on the MSE loss function to conform it to an alternative decision theory or utilitarian loss function (Berger, 1985).

In the paper, *an asymmetric loss function* was posited. For reasons explored in the paper, it was suggested that a team front office might adopt the position that the mistake of estimating a manager's $mw162$ to be < 2 when it is in fact ≥ 2 is *more costly* than the mistake of erroneously estimating that his $mw162$ is ≥ 2 when in fact it is < 2 . A team front office might similarly deem the mistake of erroneously estimating that a manager's $mw162$ is > -2 when in fact it is ≤ -2 to be more costly than the mistake of erroneously estimating that his $mw162$ is ≤ -2 when in fact it is > -2 .

One could then represent, f , the adjustment being imposed on the MSE default loss function, this way,

$$L(\theta_i, \hat{\theta}_i) = \begin{cases} w_1(\theta_i - \hat{\theta}_i)^2, & \theta_i \leq s, \\ w_2(\theta_i - \hat{\theta}_i)^2, & \theta_i \geq t, \\ (\theta_i - \hat{\theta}_i)^2, & s < \theta_i < t. \end{cases} \quad (\text{SI.3})$$

Where s and t are, respectively, $mw162 = -2$ and $mw162 = 2$, the region in between -2 and 2 is governed by the conventional MSE loss function. Errors are penalized by weights w_1 and w_2 for the regions of $mw162$ at or below -2 and at or above 2 , respectively. In the paper, the special loss penalties for both of the specified type II errors in question were $2x$; in that case $w_1 = w_2$. But the front office could vary w_1 and w_2 if it regarded one of the disfavored error types as even more costly than the other.

The Estimator can be programmed to generate the $mw162$ estimates that reflect this asymmetric loss function rather than the MSE one (Elliott & Timmerman, 2008, 2016; Patton & Timmerman, 2007). Under f , loss comprises the sum of $(\theta_j - \hat{\theta}_j)^2$ across the three demarcated $mw162$ regions *weighted by* the fraction of a manager's posterior mass within each of those regions:

$$\sum_{\theta_i \leq s} w_1 (\theta_i - \hat{\theta}_i)^2 p(\theta_i | \text{data}_i) + \sum_{\theta_i \geq t} w_2 (\theta_i - \hat{\theta}_i)^2 p(\theta_i | \text{data}_i) + \sum_{s < \theta_i < t} (\theta_i - \hat{\theta}_i)^2 p(\theta_i | \text{data}_i). \rightarrow \quad (\text{SI.4})$$

Minimizing expected loss thus requires integrating this sum over the posterior of each manager. The resulting collection of estimates—not the MSE MAPs—are now reported as the managers' $mw162$ s (SI Table 3).

Two consequences mentioned in the paper bear restating. First, the effects will be felt not only by some small select group of managers highly proximate to the s and t cutoffs but across the entire $mw162$ frontier depending on how much of each manager's posterior mass straddles one of the two error thresholds (Figure 8). Second, the effects will not be monotonic: all else equal, managers with relatively low individual variances will be affected less since the precision of their $mw162$ s implies the probability of error associated with their MSE value is small; managers with higher variances will be affected more, since the uncertainty associated with their MSE $mw162$ scores will involve higher risks of error. As a result, the recalculation of the manager $mw162$ point estimates can result in reordering of managers relative to their MAP baselines (SI Table 3).

These are exactly the effects that the front office management's valuations demand. To start, the impact of the re-calculations will always be *unidirectional* in relation to the stipulated s and t thresholds (Figure 8; SI Table 3). Managers with MSE MAPs above the $mw162 > -2$ threshold (to use the paper example) might be moved toward or over it depending on what fraction of their posterior mass lies below that threshold. Those with MSE MAPs below the $mw162 < -2$ threshold likewise might be pushed even further down depending on how much of their posterior mass straddles it. But managers with MSE MAPs below < -2 will *never* be moved upward, much less above, the ≤ -2 threshold—for by hypothesis, the re-adjustment of the manager's $mw162$ in that case would be *increasing* the probability of a *higher* error cost. Likewise, managers with MSE MAPs below the $mw162 \geq 2$ threshold (again to use the paper example) might be moved up toward or over it. But those with MSE MAPs *above* the $mw162 \geq 2$ threshold will *never* be moved downward: such a readjustment can, by hypothesis, *only* increase the risk of the higher-cost error.

In addition, any readjustments relative to the MSE MAPs will always be proportional to the front office's specified risk preference. All else equal, managers closer to s and t will be pushed harder. But importantly and as mentioned, when θ uncertainty for a manager is *low*, his adjusted $mw162$ will be adjust-

ed less dramatically relative to his MSE MAP than it will be when his θ uncertainty is *high*: this is exactly in line with the *risk aversion* that the front office decisionmakers are posited as experiencing for retaining managers who might have true $mw162s \leq -2$ and the *risk preference* they are posited as experiencing for retaining managers who might have true $mw162s \geq 2$.

It bears re-emphasis, too, that this is just an illustration of this feature of the Hybrid Estimator. Its estimates can be made responsive not only to this non-MSE loss function but to any decision theory loss function a user chooses.

Managers in vicinity of MSE $mw162 = 2$ threshold					Managers in vicinity of MSE $mw162 = -2$ threshold				
Manger	adj. 162	MSE 162	var.	ROPE	manger	adj. 162	MSE 162	var.	ROPE
Joe Gordon	2.5	2.1	3.8	0.51	Bob Geren	-2.5	-2.0	3.6	0.51
George Gibson	2.5	2.0	3.4	0.51	Heinie Wagner	-2.5	-2.0	5.2	0.50
Miller Huggins	2.5	2.1	1.9	0.53	Stan Hack	-2.4	-2.0	4.1	0.50
Chuck Dressen	2.4	2.1	2.2	0.52	Tom Loftus	-2.4	-2.0	4.5	0.49
Paul Richards	2.4	2.0	2.3	0.50	Dan Howley	-2.4	-2.0	3.3	0.49
Bob Swift	2.4	1.9	5.5	0.49	Mike Hargrove	-2.4	-2.0	1.9	0.51
Dick Howser	2.4	1.9	3.2	0.48	Lou Piniella	-2.4	-2.1	1.5	0.52
George Stallings	2.4	2.0	2.4	0.49	Bill Donovan	-2.4	-1.9	4.2	0.48
Jim Fregosi	2.3	2.0	2.0	0.49	Larry Rothschild	-2.4	-1.9	4.1	0.48
Lum Harris	2.3	1.9	3.2	0.48	Bill Dahlen	-2.3	-1.9	3.9	0.48
Brian Snitker	2.3	1.9	2.6	0.47	Billy Herman	-2.3	-1.9	4.2	0.48
Ron Roenicke	2.3	1.8	3.7	0.47	Freddie Fitzsimmons	-2.3	-1.9	4.5	0.47
Clint Hurdle	2.3	1.9	1.8	0.48	Dave Trembley	-2.3	-1.8	4.2	0.46
Pete Mackanin	2.3	1.8	4.1	0.47	Buddy Bell	-2.2	-1.8	2.8	0.46
Pinky Higgins	2.3	1.8	2.9	0.46	Charlie Montoyo	-2.2	-1.8	4.1	0.46
Bill McKechnie	2.3	1.9	1.4	0.48	Hugh Duffy	-2.2	-1.8	2.9	0.46
Hughie Jennings	2.3	1.9	2.0	0.47	Preston Gómez	-2.2	-1.8	3.3	0.45
Gabe Kapler	2.2	1.8	3.4	0.45	Shano Collins	-2.1	-1.7	5.0	0.45
Jim Leyland	2.2	1.8	1.5	0.44	Ray Schalk	-2.1	-1.7	5.0	0.44
Greg Riddoch	2.2	1.7	4.3	0.45	Jimmy Callahan	-2.1	-1.7	3.4	0.43
Art Howe	2.1	1.8	2.0	0.44	Tris Speaker	-2.1	-1.7	3.1	0.42
Ossie Vitt	2.1	1.7	4.2	0.44	Bucky Walters	-2.0	-1.6	5.1	0.43
Gabby Street	2.1	1.7	3.6	0.43	Jimmy Burke	-2.0	-1.6	4.2	0.42
Bobby Valentine	2.1	1.7	2.0	0.42	Hal McRae	-2.0	-1.6	3.4	0.42
Joe Cronin	2.0	1.7	2.0	0.41	Tony Muser	-2.0	-1.6	3.5	0.42
Whitey Herzog	2.0	1.7	1.9	0.41	Chuck Tanner	-2.0	-1.6	1.7	0.39
Don Baylor	2.0	1.6	2.7	0.41	Ned Hanlon	-2.0	-1.5	3.1	0.40
Frank Selee	2.0	1.6	3.8	0.41	Bob Scheffing	-2.0	-1.5	3.4	0.40
Aaron Boone	2.0	1.6	2.8	0.40	Eddie Sawyer	-1.9	-1.5	3.4	0.40
Andy Green	2.0	1.6	3.7	0.41	Solly Hemus	-1.9	-1.5	4.4	0.41
Jack McKeon	2.0	1.6	2.1	0.39	John Farrell	-1.9	-1.5	3.1	0.39
John Boles	2.0	1.5	4.3	0.41	Roy Hartsfield	-1.9	-1.5	4.1	0.40
Cookie Lavagetto	2.0	1.5	3.6	0.41	Brandon Hyde	-1.9	-1.5	3.3	0.39
Dave Miley	2.0	1.5	4.8	0.42	George Stovall	-1.8	-1.4	4.4	0.39
Lefty Phillips	2.0	1.5	4.2	0.41	Ray Miller	-1.8	-1.4	3.9	0.38
Vern Rapp	2.0	1.5	4.7	0.41	Mark Kotsay	-1.8	-1.4	3.6	0.38
Terry Collins	1.9	1.5	2.1	0.37	Bill Carrigan	-1.8	-1.4	3.2	0.37
Kerby Farrell	1.8	1.4	5.3	0.40	Chris Woodward	-1.7	-1.3	4.0	0.37

SI Table 3. Asymmetric loss function adjustments. “Adj 162” and “MSE 162” refer respectively to the $mw162$ scores with and without the asymmetric-loss-function adjustment; “var” refers to the variance associated with the Estimator score; and “ROPE” the proportion of posterior mass outside the relevant border of $|MSE\ mw162| = 2$. Highlighted cells identify managers whose adjusted $mw162$ s moved from below to above the +2 or from above to below the -2 thresholds, respectively.

Supplemental Information references

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